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## Stability of U.S. Consumption Expenditure Patterns: 1996-1999

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Abstract<br>Stability of U.S. Consumption Expenditure Patterns: 1996-1999

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A cornerstone of macroeconomic analysis since publication of Keynes's General Theory in 1936 has been a strong belief in a stable aggregate consumption function. At a micro level, there has been an equally strong belief in invariant individual tastes and preferences. The usual approach in testing for structural stability is to examine consumption, expenditure, or demand functions estimated over different time periods for evidence of changes in marginal propensities to consume, price and income elasticities, and other parameters. This paper takes a different approach. Rather than analyzing stability (or its absence) in terms of invariance in behavioral parameters (i.e., the coefficients in consumption, demand, or Engel functions), the focus is on direct relationships amongst exhaustive categories of U. S. consumption expenditure, using household expenditure information from the on-going quarterly BLS Consumer Expenditure Surveys. Sixteen quarters of data for 1996 through 1999 are analyzed. The results provide strong empirical evidence in support of structural stability in underlying consumption relationships that account for about 85 percent of the variation in U. S. consumer expenditure. Some (speculative) thoughts relating this structural stability to common underlying cultural and genetic factors are offered in conclusion.

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Stability of U.S. Consumption Expenditure Patterns: 1996-1999

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## I. Introduction

A cornerstone of macroeconomic analysis since publication of Keynes's General Theory in 1936 has been a strong belief in a stable aggregate consumption function. At a micro level, there has been an equally strong belief in invariant individual tastes and preferences. The usual approach in testing for structural stability is to examine consumption, expenditure, or demand functions estimated over different time periods for evidence of changes in marginal propensities to consume, price and income elasticities, and other parameters. This paper takes a different approach. Rather than analyzing stability (or its absence) in terms of invariance in behavioral parameters (i.e., the coefficients in consumption, demand, or Engel functions), the focus is on direct relationships amongst exhaustive categories of expenditure, using household expenditure information from the on-going quarterly BLS Consumer Expenditure Surveys. Sixteen quarters of data for 1996 through 1999 are analyzed. ${ }^{1}$ The results provide strong empirical evidence in support of structural stability in underlying consumption relationships that account for about 85 percent of the variation in U.S. consumer expenditure.

## II. Principal Component Analyses of 14 CES Expenditure Categories

The data analyzed in this paper are taken from household expenditure information that is collected quarterly in diary and interview surveys by the U. S. Bureau of Labor Statistics. The analysis proceeds via a principal component analysis of 14 categories of consumption expenditure for each of the 16 quarters in the data set, and then examining the stability of the underlying eigenvectors. The 14 categories of expenditure that are the focus of the analysis are listed in Table 1.

To fix the technical ideas underlying the analysis, let $X$ denote an $n$ by matrix of $n$ observations on $m$ variables, and suppose that we want to find an $m$-by-m matrix $K$ that transforms the variables represented by the columns of $X$ into a set of new variables $Z=\left(z_{1}, z_{2}, \ldots ., \mathrm{Z}_{\mathrm{m}}\right)$ that are orthogonal to one another, viz.:

$$
\begin{equation*}
\mathrm{Z}=\mathrm{XK} \tag{1}
\end{equation*}
$$

such that

$$
\begin{equation*}
Z^{\prime} Z \quad=\quad[\lambda] \tag{2}
\end{equation*}
$$

${ }^{1}$ All data analyzed in this paper are taken from the Public Use Microdata CD-ROMs of Consumer Expenditure, 1996-1999, obtained from the Bureau of Labor Statistics, U. S.
Department of Labor.

Table 1

## Consumption Categories <br> BLS CES Quarterly Surveys

## Category

Food
Alcoholic Beverages
Housing
Apparel
Transportation
Health
Entertainment
Personal Care
Reading
Education
Tobacco
Miscellaneous
Cash Contributions
Personal Insurance

Mnemonic
Food
Alco.Bev. Housing
Apparel
Trans.
Health
Entertain.
Per.Care
Reading
Educ.
Tobacco
Misc.
CashCtrb.
Pers.Ins.
where $[\lambda]$ is a $m$ by $m$ diagonal matrix. From (1),we then have for $Z^{\prime} Z$ :

$$
\begin{equation*}
Z^{\prime} Z=K^{\prime} X^{\prime} X K \tag{3}
\end{equation*}
$$

so that

$$
\begin{equation*}
\mathrm{K}^{\prime} \mathrm{X}^{\prime} \mathrm{XK}=[\lambda] \tag{4}
\end{equation*}
$$

Since $\mathrm{X}^{\prime} \mathrm{X}$ is real, symmetric, and positive definite, it follows that the columns of K will be the (normalized) eigenvectors associated with the k latent roots of $\mathrm{X}^{\prime} \mathrm{X}$, which in turn are given by the diagonal elements of $[\lambda]$.

To find the columns of Z (which are called the principal components of $\mathrm{X}^{\prime} \mathrm{X}$ ), we proceed as follows. Since $K$ is an orthonormal matrix, $K^{\prime} K=I$, which means that the trace of $Z^{\prime} Z$ will be equal to the trace of $\mathrm{X}^{\prime} \mathrm{X}$. This being the case, we can find for the "first" principal component (PC) of $X^{\prime} X$ the $z$ that makes a maximum contribution to the trace of $Z^{\prime} Z$, subject to the condition that $\mathrm{k}_{1}{ }^{\prime} \mathrm{k}_{1}=1$, that is, we want to maximize:

$$
\begin{equation*}
\Phi\left(\mathrm{z}_{1}, \kappa\right)=\mathrm{z}_{1}{ }^{\prime} \mathrm{z}_{1}-\kappa\left(\mathrm{z}_{1}{ }^{\prime} \mathrm{X}^{\prime} \mathrm{Xz}_{1}-1\right) \tag{5}
\end{equation*}
$$

with respect to $z_{1}$ and $\kappa$, where $\kappa$ is a Lagrangian multiplier associated with the constraint $\mathrm{k}_{1}{ }^{\prime} \mathrm{k}_{1}=1$. From the first-order conditions:

$$
\begin{align*}
2 \mathrm{z}_{1}-2 \kappa \mathrm{X}^{\prime} \mathrm{X} \mathrm{z}_{1} & =0  \tag{6}\\
\mathrm{z}_{1}{ }^{\prime} \mathrm{X}^{\prime} \mathrm{X} \mathrm{z}_{1}-1 & =0, \tag{7}
\end{align*}
$$

we eventually find that

$$
\begin{equation*}
\mathrm{z}_{1}{ }^{\prime} \mathrm{z}_{1} \quad=\kappa \text {. } \tag{8}
\end{equation*}
$$

Since the $\mathrm{z}_{1}$ that is desired is the one that makes a maximum contribution to the trace of $\mathrm{Z}^{\prime} \mathrm{Z}$, which in turn is equal to sum of the latent roots of $\mathrm{X}^{\prime} \mathrm{X}$, it accordingly follows that the k that yields the "first" PC will be the k that is associated with the largest latent root of $\mathrm{X}^{\prime} \mathrm{X}$.

The "second" PC of $\mathrm{X}^{\prime} \mathrm{X}$ will then be obtained as the z that makes the second largest contribution to the trace of $Z^{\prime} Z$, but now subject not only to $\mathrm{k}_{2}{ }^{\prime} \mathrm{k}_{2}=1$, but also to $\mathrm{k}_{2}{ }^{\prime} \mathrm{k}_{1}=0$. Skipping details, the $\mathrm{k}_{2}$ that yields this PC will be the eigenvector associated with second largest latent root of $\mathrm{X}^{\prime} \mathrm{X}$. The remaining $\mathrm{m}-2$ principal components are obtained accordingly.

For the situation at hand, each row of X will represent the expenditures for a particular household in each of the 14 expenditure categories listed in Table 1, as taken from a particular quarterly BLS CES survey. The latent roots (normalized so that they sum to one) for the 16 quarterly surveys analyzed are tabulated in Table 2. ${ }^{2}$

From the table, we see that the largest principal component (i.e., the PC associated with the latent root) accounts for about 60 percent of the total variation in expenditure, while the second largest principal component accounts for about 25 percent. ${ }^{3}$ In contrast, the five smallest PC's (i.e., those associated with latent roots 10 through 14) account for less than one percent of the total variation in expenditure. Given the minuteness of these roots, the variation they measure might be thought to be meaningless noise. However, this would be a false conclusion, for, as will be seen below, all of the "small" PC's can in fact be identified with specific categories of expenditure; \#14, for example, which typically accounts for less than one one- hundredth of one percent of the total

[^0]Table 2

Latent Roots for 14 CES Expenditure Categories
1996-1999
$\left.\begin{array}{ccccccccccc}\text { Latent Root } & \underline{1996 Q 1} & \underline{1996 Q} 2 & \underline{1996 Q} 3 & \underline{1996 Q} 4 & & \underline{1997 Q} 1 & & \underline{1997 Q} 2 & & 1997 \mathrm{Q} 3\end{array}\right) \underline{1997 \mathrm{Q} 4}$
variation in expenditure, is highly correlated with expenditures for reading materials. But this is getting ahead of the story.

Since the transformation from non-orthogonal X to orthogonal Z involves a full-rank linear transformation, the (linear) relationships amongst the columns of X will now be represented in the eigenvectors forming the columns of $\mathrm{K}^{4}$. From this, it follows that questions involving stability of expenditure patterns can equivalently be investigated in terms of the stability of the columns of K . My (exceedingly simple) approach to investigating this stability has proceeded via a sequence of regression analyses, in which the eigenvectors for a quarter are regressed on their counterparts for other quarters. High $R^{21}$ s will obviously be in support of stability. A total of 35 regressions have been estimated, of which 15 entail contiguous quarters and 5 (arbitrary) non-contiguous quarters. The final regressions involve a pooled framework to be discussed below.

The $R^{21} s$ for the contiguous and non-contiguous regressions are tabulated in Table 3. Eigenvectors are represented in columns in the table, while quarters are represented in rows. The very first element of the table (0.997) thus represents the $\mathrm{R}^{2}$ in the regression of the eigenvector associated with largest latent root for 1996Q2 on the same for 1996Q1. Similarly, for the noncontiguous entries, the first element (0.984) represents the $\mathrm{R}^{2}$ in the regression of the eigenvector associated with largest latent root for 1999Q1 on the same for 1997Q3. Since our concern is with eigenvector stability across time, what we obviously are looking for are columns with uniformly high $\mathrm{R}^{21} \mathrm{~s}$. This is clearly evident in columns $1,2,13$, and 14 , and to lesser extent in columns 5,11 , and 12. The principal components associated with these eigenvectors typically account for about 90 percent of the total variation in consumer expenditure, hence a great deal of stability in consumption patterns (at least by this measure) appears to be present.

Additional evidence in support of stability is offered by a final set of 14 "pooled" contiguous-quarter eigenvector regressions, in which the coefficients on the "lagged" quarter are constrained to be equal across the 15 quarters from 1996Q2 through 1999Q4, which is to say that the equations estimated are of the form:

$$
\begin{equation*}
k_{i j t}=\alpha+\beta k_{i j(t-1)}+u_{i j t}, \tag{9}
\end{equation*}
$$

for $\mathrm{i}, \mathrm{j}=1, \ldots, 14$ and $\mathrm{t}=1996 \mathrm{Q} 2, \ldots, 1999 \mathrm{Q} 4$. The $\mathrm{R}^{2}$ s for these 14 equations are tabulated in Table 4. The $R^{2}$ 's are seen to be very high for eigenvectors $1,2,13$, and 14 ( 0.9600 or higher), and moderately high for numbers 5 and 11 ( 0.4550 and 0.7556 ). ${ }^{5}$

[^1]Table 3

## $R^{21}$ s for Eigenvector Regressions 14 CES Expenditure Categories 1996-1999

| Eigenvector |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Quarter | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 |
| Contiguous Quarters* |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 1996Q2 | 0.997 | 0.899 | 0.954 | 0.051 | 0.234 | 0.028 | 0.070 | 0.891 | 0.931 | 0.836 | 0.856 | 0.992 | 0.994 | 0.999 |
| 1996Q3 | 0.971 | 0.975 | 0.993 | 0.974 | 0.946 | 0.765 | 0.886 | 0.684 | 0.107 | 0.144 | 0.958 | 0.968 | 0.998 | 0.997 |
| 1996Q4 | 0.998 | 0.984 | 0.983 | 0.970 | 0.769 | 0.008 | 0.076 | 0.012 | 0.005 | 0.001 | 0.998 | 0.999 | 0.999 | 0.999 |
| 1997Q1 | 0.978 | 0.991 | 0.066 | 0.000 | 0.174 | 0.292 | 0.178 | 0.153 | 0.061 | 0.015 | 0.895 | 0.919 | 0.752 | 0.783 |
| 1997Q2 | 0.985 | 0.993 | 0.328 | 0.120 | 0.019 | 0.128 | 0.338 | 0.003 | 0.078 | 0.031 | 0.637 | 0.705 | 0.746 | 0.778 |
| 1997Q3 | 0.996 | 0.998 | 0.993 | 0.974 | 0.946 | 0.765 | 0.886 | 0.684 | 0.107 | 0.144 | 0.958 | 0.968 | 0.998 | 0.997 |
| 1997Q4 | 0.997 | 0.997 | 0.029 | 0.002 | 0.932 | 0.010 | 0.065 | 0.462 | 0.955 | 0.980 | 0.456 | 0.453 | 0.998 | 0.999 |
| 1998Q1 | 0.997 | 0.998 | 0.640 | 0.016 | 0.860 | 0.000 | 0.062 | 0.023 | 0.972 | 0.989 | 0.990 | 0.992 | 0.973 | 0.975 |
| 1998Q2 | 0.973 | 0.989 | 0.617 | 0.002 | 0.694 | 0.022 | 0.454 | 0.003 | 0.142 | 0.211 | 0.740 | 0.793 | 0.972 | 0.974 |
| 1998Q4 | 0.987 | 0.982 | 0.534 | 0.591 | 0.813 | 0.080 | 0.003 | 0.015 | 0.888 | 0.915 | 0.582 | 0.667 | 0.998 | 0.999 |
| 1999Q1 | 0.987 | 0.984 | 0.186 | 0.256 | 0.855 | 0.898 | 0.936 | 0.865 | 0.059 | 0.094 | 0.592 | 0.671 | 0.999 | 0.999 |
| 1992Q2 | 0.978 | 0.907 | 0.030 | 0.153 | 0.637 | 0.006 | 0.802 | 0.800 | 0.000 | 0.549 | 0.942 | 0.956 | 0.996 | 0.997 |
| 1999Q3 | 0.963 | 0.871 | 0.000 | 0.732 | 0.702 | 0.009 | 0.023 | 0.485 | 0.026 | 0.878 | 0.827 | 0.863 | 0.998 | 0.999 |
| 1999Q4 | 0.971 | 0.963 | 0.024 | 0.002 | 0.527 | 0.985 | 0.038 | 0.082 | 0.001 | 0.014 | 0.868 | 0.898 | 0.999 | 0.999 |

Non-Contiguous Quarters

```
1999Q2/ 0.984
1997Q3
1998Q4/ 0.947 0.975 0.997 0.995 0.807 0.070 0.083 0.949
1996Q2
1999Q4/ 0.996
1998Q1
1998Q3/ 0.973 0.985
1997Q1
1997Q2/ 0.974 0.987 0.862 0.867 0.954 0.439
1996Q2
```

* The contiguous equations have the form, $\mathrm{k}_{\mathrm{ijt}}=\alpha+\beta \mathrm{k}_{\mathrm{ij}(\mathrm{t}-1)}+\mathrm{u}_{\mathrm{i}}$, where $\mathrm{k}_{\mathrm{ijt}}$ represents the $j^{\text {th }}$ element of the $i^{\text {th }}$ eigenvector in quarter $t$, for $\mathrm{i}, \mathrm{j}=1, \ldots, 14$ and $\mathrm{t}=$ 1996Q2, ..., 1999Q4.

Table 4

## R $^{21}$ s for Pooled Eigenvector Regressions <br> 14 CES Expenditure Categories 1996-1999

| Eigenvector |  | $\mathrm{R}^{2}$ |
| :---: | :---: | :---: |
|  |  | 0.9774 |
| 1 |  | 0.9708 |
| 2 |  | 02415 |
| 3 |  | 0.2377 |
| 4 |  | 0.4550 |
| 5 |  | 0.1087 |
| 6 |  | 0.0750 |
| 7 |  | 0.0951 |
| 8 | 0.1693 |  |
| 9 |  | 0.2022 |
| 10 |  | 0.7556 |
| 11 |  | 0.0728 |
| 12 |  | 0.9600 |
| 13 |  | 0.9626 |

The conclusion from Tables 3 and 4 (especially Table 4) would seem to be that there is something pretty special about the principal components associated with both the two largest and two smallest latent roots. The components associated with latent roots 5 and 11 appear to be somewhat special as well. One way of examining what might be going on with the principal components is to obtain the "factor" loadings for the PC's by regressing each of them on the fourteen underlying categories of expenditure as predictors. For illustration, "loadings" for the first and last quarters of the study are tabulated in Table 5. "Key" loadings are highlighted in bold print.

The following results emerge from this table:

[^2](1). The stability of eigenvectors $1,2,13$, and 14 is immediately apparent.
(2). PC 2 is virtually identical with PC 1, except for a negative loading on transportation.
(3). PC's 6-10 and 13 and 14 are all associated with a single expenditure category (cf., PC 7 with education in 1996Q1, PC 10 with apparel in 1999Q4, etc.).
(4). The expenditure categories with high single loadings vary between quarters for PC 's 6-10 (cf., for example, the loadings on education and health for PC 7 for 1196Q1 with the same for 1999Q4). PC's 13 and 14, on the other hand, are obviously associated with expenditures for personal care and reading materials, respectively, a result, incidently, that holds for all 16 quarters of data.
(5). PC's 11 and 12, it will be noted, are clearly associated with alcoholic beverages and tobacco, for these are the only components that have non-trivial loadings on those two categories of expenditure. This unique association holds for both PC 11 and PC 12 over all 16 quarters of data, as do the positive loadings for PC 11. On the other hand, while the signs for the loadings on alcoholic beverages and tobacco for PC 12 are always opposite to one another (as in the table), their order (i.e., whether,+- , or,-+ ) is not constant across quarters. ${ }^{7}$

## III. Interpretation of Results

The principal-component/eigenvector analyses of the preceding section are essentially simply exercises in linear algebra. We now turn to a discussion and (attempted!) interpretation of the results that have been obtained to this point, beginning with the strong structural stability (across all 16 quarters of data) in four principal components that account for between 85 and 90 percent of the total variation in U.S. household consumption expenditure. The four principal components in question are the two "largest" (PC's 1 and 2) and the two "smallest" (PC's 13 and 14). Since the latter account for just a minor fraction of the total variation in expenditure, the former are obviously of most interest.

As was noted in Section II, two things stand out in connection with the "expenditure loadings" for PC's 1 and 2 in Table 5. The first is simply the congruence of the loadings, except for a switch in signs on transportation! At an extreme (i.e., if, except for the signs on transportation, the loadings on the two components were in fact identical), this result would have the following implications: (1) the sum of the two principal components would be independent (mathematically) of expenditures for transportation, while (2) the difference of the two components would be exactly

[^3]co-linear with transportation expenditures. ${ }^{8}$ Although this congruency seems almost too bizarre to be fortuitous, thoughts as to what might be being reflected behaviorally will be postponed till later.

The second thing that stands out in connection with the expenditure loadings in Table 5 for the first two principal components is the number of non-trivial loadings in each of the first two columns, as opposed to the at most two large loadings in most of the other columns. One way that the non-trivial loadings for PC's 1 and 2 can be viewed is as identifying a "basic" market basket of goods and services, consisting of expenditures for food, housing, apparel, transportation, health, entertainment, education, and personal insurance. Food, shelter, clothing, and health are, of course, intrinsic to survival, as indeed in our modern age (though perhaps at a higher level of "want") are certain levels of expenditure for transportation, entertainment, education, and personal insurance. Accordingly, in view of their strong structural stability over the 16 quarters of data, what it seems to me might be being captured in the first two principal components is a substantial part of consumption expenditure that reflects stable genetic, cultural, and demographic influences.

Since this last statement is admittedly highly speculative, let me try to be clear as to what is being said. By genetic influences, I simply have in mind the fact every human being is motivated "to make a living", in the sense of having to have certain amounts of food, clothing, and shelter in order to survive. At the most basic level, these influences can be seen as biologically determined and common to all individuals. On the other hand, by cultural influences, I have in mind a slowly varying set of factors that drive various forms of social consumption. The consumption governed by these influences can be seen as determining a "social subsistence" component of consumption. Finally, a third "subsistence" component can be seen as arising from the influence of a variety of time-varying demographic factors, such as age, education, family size, place of residence, etc. The thrust, accordingly, of the statement at end of the last paragraph is that these three sets of factors (genetic, cultural, and demographic) are sufficiently invariant so as to impart a basic structural stability to the 85 -plus percent of the variation in consumption expenditure that is accounted for by the two largest principal components.

An obvious next step is to see how much of sample variation in these two principal components can be explained, in a conventional regression format, by variation in income and socio-demographic factors. However, before proceeding to this, it will be useful to examine briefly the loadings for the remaining principal components in Table 5. PC's 11 and 12, as was noted in Section II, are of interest because their unique association with alcoholic beverages and tobacco. Since the loadings for PC 11 are both positive and generally of the same magnitude over all 16 quarters of data, this component can clearly be "identified" as an "alcohol-tobacco" component. PC 12 , on the other hand, is another matter. For, while the loadings on alcoholic beverages and tobacco for this component are always the only non-trivial ones, and are always of opposite signs, the order

[^4]
## Table 5

# Loadings of Principal Components On 14 CES Expenditure Categories 


$\begin{array}{crrrrrrrrrrrrrrr}\text { Food } & \mathbf{0 . 2 3 5} & \mathbf{0 . 1 3 7} & 0.532 & 0.452 & -0.443 & -0.456 & -0.023 & -0.095 & -0.149 & 0.003 & -0.041 & -0.015 & -0.022 & -0.004 \\ \text { Alco. Bev. } & 0.015 & 0.009 & 0.027 & 0.005 & -0.020 & 0.002 & 0.004 & 0.006 & 0.003 & -0.005 & \mathbf{0 . 8 7 0} & \mathbf{- 0 . 4 9 2} & -0.012 & 0.001 \\ \text { Housing } & \mathbf{0 . 6 8 6} & \mathbf{0 . 6 1 4} & -0.382 & -0.053 & 0.049 & 0.003 & -0.030 & -0.003 & -0.028 & -0.007 & -0.004 & 0.001 & -0.005 & -0.004 \\ \text { Apparel } & \mathbf{0 . 0 9 5} & \mathbf{0 . 0 5 8} & 0.170 & 0.044 & -0.102 & 0.076 & 0.069 & 0.077 & 0.963 & -0.025 & -0.010 & 0.009 & -0.035 & -0.010 \\ \text { Transp. } & \mathbf{0 . 6 4 3} & \mathbf{- 0 . 7 6 3} & -0.068 & -0.012 & 0.009 & 0.002 & 0.001 & 0.002 & -0.004 & 0.001 & -0.001 & -0.001 & -0.001 & 0.001 \\ \text { Health } & \mathbf{0 . 0 7 6} & \mathbf{0 . 0 4 4} & 0.229 & 0.571 & 0.771 & 0.140 & -0.002 & -0.020 & -0.005 & -0.006 & 0.002 & -0.004 & -0.008 & -0.003 \\ \text { Entertain. } & \mathbf{0 . 1 0 4} & \mathbf{0 . 0 6 2} & 0.252 & 0.116 & -0.336 & 0.873 & -0.077 & -0.044 & -0.160 & -0.007 & -0.015 & 0.007 & -0.005 & -0.006 \\ \text { Pers.Care } & 0.014 & 0.008 & 0.022 & 0.012 & -0.007 & -0.002 & 0.001 & 0.002 & 0.027 & 0.002 & 0.004 & -0.016 & \mathbf{0 . 9 8 8} & -0.145 \\ \text { Reading } & 0.009 & 0.007 & 0.015 & 0.000 & -0.001 & 0.004 & 0.001 & 0.008 & 0.010 & 0.007 & 0.002 & 0.003 & 0.144 & \mathbf{0 . 9 8 9} \\ \text { Educ. } & \mathbf{0 . 0 4 0} & \mathbf{0 . 0 3 2} & 0.056 & -0.028 & -0.008 & 0.049 & 0.991 & 0.028 & -0.093 & -0.005 & -0.004 & 0.007 & -0.000 & -0.002 \\ \text { Tobacco } & 0.010 & 0.005 & 0.018 & 0.016 & -0.012 & -0.014 & -0.005 & -0.001 & -0.008 & -0.003 & \mathbf{0 . 4 9 1} & \mathbf{0 . 8 7 0} & 0.011 & -0.005 \\ \text { Misc. } & 0.025 & 0.017 & 0.067 & 0.040 & -0.026 & -0.011 & -0.041 & 0.990 & -0.097 & -0.033 & -0.009 & 0.002 & 0.004 & -0.008 \\ \text { CashCtrb. } & 0.012 & 0.010 & 0.020 & -0.009 & 0.006 & 0.009 & 0.003 & 0.034 & 0.018 & 0.999 & 0.004 & 0.001 & -0.004 & -0.007 \\ \text { Pers.Ins. } & \mathbf{0 . 1 8 1} & \mathbf{0 . 1 0 9} & 0.642 & -0.670 & 0.287 & -0.036 & -0.068 & -0.026 & -0.067 & -0.022 & -0.010 & 0.004 & -0.007 & -0.009\end{array}$

## 1999Q4

$\begin{array}{llllllllllllllll}\text { Food } & \mathbf{0 . 2 2 7} & \mathbf{0 . 1 5 7} & 0.306 & 0.483 & -0.627 & 0.187 & -0.365 & -0.139 & -0.013 & -0.112 & -0.041 & -0.003 & -0.020 & -0.004\end{array}$
 Housing $\mathbf{0 . 6 5 3} \mathbf{0 . 6 4 2}-0.326-0.1430 .100-0.151-0.006-0.032 \quad 0.004-0.035-0.006$ Apparel $\mathbf{0 . 0 6 9} \mathbf{0 . 0 5 1} 0.069 \quad 0.068-0.072 \quad 0.004-0.014 \quad 0.140$
 $\begin{array}{lllllllllllllll}\text { Health } & \mathbf{0 . 0 7 4} & \mathbf{0 . 0 4 6} & 0.083 & 0.128 & -0.258 & 0.169 & 0.897 & -0.302 & -0.042 & 0.015 & -0.003 & -0.011 & -0.015 & -0.010\end{array}$ $\begin{array}{llllllllllllll}\text { Entertain. } & \mathbf{0 . 0 9 5} & \mathbf{0 . 0 5 6} & 0.150 & 0.114 & -0.109 & -0.021 & 0.239 & 0.921 & -0.082 & -0.163 & -0.018 & 0.003 & -0.002\end{array}-0.009$
 $\begin{array}{lllllllllllllll}\text { Reading } & 0.008 & 0.005 & 0.010 & 0.005 & -0.007 & 0.083 & 0.010 & 0.007 & 0.002 & 0.018 & 0.009 & -0.017 & 0.103 & \mathbf{0 . 9 9 4}\end{array}$ $\begin{array}{lllllllllllllll}\text { Educ. } & \mathbf{0 . 0 4 6} & \mathbf{0 . 0 4 5} & 0.056 & 0.767 & 0.629 & 0.049 & 0.045 & -0.040 & -0.009 & -0.007 & 0.007 & 0.007 & -0.003 & -0.000\end{array}$ $\begin{array}{lllllllllllllll}\text { Tobacco } & 0.010 & 0.005 & 0.013 & 0.012 & -0.026 & 0.003 & -0.000 & 0.002 & -0.000 & -0.010 & \mathbf{0 . 7 0 5} & \mathbf{0 . 7 1 3} & -0.001 & 0.006\end{array}$
$\begin{array}{lllllllllllllll}\text { Misc. } & 0.036 & 0.058 & -0.167 & -0.172 & 0.081 & 0.961 & 0.004 & 0.069 & -0.058 & 0.012 & 0.003 & 0.000 & 0.007 & 0.018\end{array}$ CashCtrb. $0.016 \quad 0.016 \quad 0.021-0.006-0.004 \quad 0.063$ 0.054 0.059 0.993 $-0.036-0.002-0.000-0.002-0.003$ $\begin{array}{lllllllllllllllllllllll}\text { Pers.Ins. } & \mathbf{0 . 1 8 4} & \mathbf{0 . 1 3 5} & 0.856 & -0.304 & 0.328 & 0.056 & -0.015 & -0.096 & -0.036 & -0.021 & -0.006 & 0.004 & -0.004 & -0.005\end{array}$
of the signs is not stable. If PC 11 is seen as representing the expenditures of households on alcoholic beverages and tobacco that both drink and smoke, then PC might be interpreted as representing expenditures for those households that do one or the other (but not both). However, the problem with this interpretation is the switching of signs. What does it mean for alcohol to have a negative loading in one survey, but positive in another, and vice-versa for tobacco?

Some insight into this last question may be obtained from consideration of the instability apparent in the loadings for principal components 3 through 10. Of these eight PC's, \#'s 3, 4, and 5 typically have two or more non-trivial loadings over the 16 quarters of data, while \#'s 6 through 10 invariably have just a single high loading, single high loadings, incidentally, that are always confined to one of apparel, entertainment, health, education, miscellaneous, or cash contributions. The thing that comes to mind in connection with expenditures in these categories is that they tend to be "lumpy" with respect to both time and households. One household might show a large apparel expenditure in a particular quarter, because of a change in employment, for example, while a second household might show a large health expenditure because of an accident, a third household might show a large education expenditure because of two children being in college, while a fourth household could show a large cash contribution because of warm feelings toward the nursing home that a parent had lived in, and so on and so forth. Lumpiness, combined with a certain amount of inherent randomness, of such expenditures accordingly means that the relative variation in expenditures across the six categories in question can shift from quarter to quarter, which in turn means (since the "sizes" of principal components are determined according to relative contributions to total variation) that expenditure categories need not always identify with the same principal components. Entertainment, for example, might identify with PC 6 in one sample, but with PC 7 in another (as the case with 1996Q1 and 1999Q4 in Table 5). Such considerations would seem to apply as well to PC's 3,4 , and 5, and maybe even can account for the sign switches on alcoholic beverages and tobacco with PC 12.

## IV. Regression Models for PC's 1 and 2

The primary result to this point is the isolation of two stable consumption substructures that account for between 85 and 90 percent of the variation in U.S. household consumption expenditure. In this section, the principal components of consumption that define these two substructures are taken as dependent variables to be "explained", in a traditional regression framework, as functions of income and a variety of socio-demographic variables. The results for 1996Q1 and 1999Q4 are presented in Tables 6-9. Both linear and logarithmic equations are estimated. The estimated regression coefficients (together with their associated t-ratios and p-values) tabulated in Tables 6 and 7 for the linear equations, and in Tables 8 and 9 for the logarithmic models. ${ }^{9}$ Of the 23 independent

[^5]variables in the models, all are dummy variables, except for income, the number of earners in the household (no_earnr), the age of the reference person for the household (age_ref), and household size (fam_size). Definitions of all the variables can be found in the appendix. In view of the superior fit for the logarithmic models, the discussion that follows will focus primarily on Tables 8 and 9 .

For PC1 in Table 8, after income, which not surprisingly is the strongest predictor, we find the expenditures represented by this component to be positively related to the number of earners in a household, family size, and education, and negatively related to single-person households, living in a rural area, living in the northeast, mid-west, or south (as opposed to living in the west), and the receipt of food stamps. Moreover, the $\mathrm{R}^{2}$ for this equation is a very respectable (for a cross-section sample) of about 0.50 . For PC2 in Table 9, we again find a very strong effect of income, and strong negative effects associated with single households, rural households, and living in the mid-west or south (again relative to living in the west). The $\mathrm{R}^{2}$ for this component, however, is much lower than for PC1. Since the loadings for PC1 and PC2 for the most part differ only in the sign of the loading on transportation expenditures, this difference obviously has to be manifested somewhere, and is seen to reside principally in the change in sign on the number of earners in the household (with little loss in statistical significance), emergence of strong positive effects of children in the household (countered by a decrease in the importance of the raw size of the household), and a greatly reduced negative effect of food stamps. However, the result that perhaps most leaps out of the columns in Tables 8 and 9 , is the virtually identical income elasticities for the two principal components, at a value of about $0.45 .{ }^{10}$

## V. Summary and Conclusions

This paper has undertaken a detailed examination of the stability of U.S. household consumption patterns by employing a combined principal-component/regression analysis of 16 quarters of consumer expenditure data from the BLS Consumer Expenditure Surveys. The primary findings of the study are as follows:
(1). Five stable consumption structures are isolated that regularly account for between 85 and 90 percent of the total variation in 14 (exhaustive) categories of consumption expenditure.
(2). Four of the structures in question are associated with both the two "largest" and two "smallest" principal components of consumption expenditure. The largest principal component typically accounts for about 60 percent of the total variation in expenditure, while the second largest component accounts for another 25 percent.
and 2433 and 5022 for the logarithmic equations.
${ }^{10}$ The income elasticities for the two PC's over the 16 quarters of data vary from 0.39 to 0.46 , and never differ in any quarter by more than 0.03 .

## Table 6

## Regression Models for PC 1 <br> 1996Q1 and 1999Q4

linear models

|  | 1996 |  |  |
| :---: | :---: | :---: | :---: |
| Variable | Parameter | t-ratio | p-value |
| intercept | 376.17 | 0.30 | 0.7672 |
| income | 0.1264 | 17.45 | < 0.0001 |
| no_earnr | 254.97 | 3.30 | 0.0010 |
| age_ref | -2.787 | -0.75 | 0.4530 |
| fam_size | 236.69 | 3.95 | < 0.0001 |
| dsinglehh | -272.02 | -1.61 | 0.1077 |
| drural | -241.10 | -1.38 | 0.1678 |
| dnochild | -208.12 | -1.17 | 0.2431 |
| dchild1 | -6.929 | -0.03 | 0.9748 |
| dchild4 | -173.17 | -0.72 | 0.4746 |
| ded10 | 402.19 | 1.60 | 0.1102 |
| dedless 12 | 520.44 | 0.45 | 0.6556 |
| ded12 | 523.84 | 0.45 | 0.6523 |
| dsomecoll | 961.31 | 0.83 | 0.4094 |
| ded15 | 1733.83 | 1.48 | 0.1382 |
| dgradschool | 1355.00 | 1.15 | 0.2489 |
| dnortheast | -294.53 | -1.70 | 0.0887 |
| dmidwest | -371.10 | -2.33 | 0.0198 |
| dsouth | -315.05 | -2.05 | 0.0406 |
| dwhite | 533.27 | 1.86 | 0.0636 |
| dblack | 549.61 | 1.67 | 0.0944 |
| dmale | 219.14 | 1.82 | 0.0684 |
| dfdstmps | -767.69 | -3.45 | 0.0006 |
| d1 | -19.06 | 0.06 | 0.9530 |
| $\begin{gathered} \mathrm{R}^{2}=0.2 \\ \text { mean } \end{gathered}$ | of PC1: \$3 | d.f. $=2726$ |  |


|  | 1999 Q 4 |  |  |  |
| :--- | ---: | ---: | ---: | ---: |
| Variable |  | Parameter |  | t-ratio |$\quad$ p-value

## Table 7

## Regression Models for PC 2 <br> 1996Q1 and 1999Q4

linear models

|  | 1996Q |  |  |  | 1999Q4 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Variable | Parameter | t-ratio | p -value | Variable | Parameter | t-ratio | p -value |
| intercept | 1027.65 | 0.81 | 0.4203 | intercept | 847.70 | 0.85 | 0.3957 |
| income | 0.00728 | 7.02 | $<0.0001$ | income | 0.0624 | 12.87 | $<0.0001$ |
| no_earnr | -200.92 | -2.59 | 0.0097 | no_earnr | -213.69 | -3.39 | 0.0007 |
| age_ref | 5.304 | 1.42 | 0.1549 | age_ref | 2.162 | 0.70 | 0.4811 |
| fam_size | -40.13 | -0.67 | 0.5042 | fam_size | 20.60 | 0.39 | 0.6982 |
| dsinglehh | -208.30 | -1.23 | 0.2197 | dsinglehh | 110.81 | 0.80 | 0.4231 |
| drural | -168.74 | -0.96 | 0.3362 | drural | -331.83 | -2.10 | 0.0359 |
| dnochild | -305.09 | -1.70 | 0.0883 | dnochild | -205.48 | -1.44 | 0.1492 |
| dchild 1 | 157.98 | 0.72 | 0.4729 | dchild 1 | 216.71 | 1.13 | 0.2588 |
| dchild4 | 74.76 | 0.31 | 0.7584 | dchild4 | 421.44 | 1.98 | 0.0475 |
| ded 10 | -479.07 | -1.90 | 0.0580 | ded10 | 239.27 | 1.03 | 0.3038 |
| dedless 12 | -361.81 | -0.31 | 0.7574 | dedless 12 | -489.89 | -0.52 | 0.6038 |
| ded12 | -146.77 | -0.13 | 0.8999 | ded12 | -183.46 | -0.20 | 0.8450 |
| dsomecoll | -111.31 | -0.10 | 0.9242 | dsomecoll | -379.46 | -0.40 | 0.6861 |
| ded15 | 73.14 | 0.06 | 0.9503 | ded15 | 257.19 | 0.27 | 0.7850 |
| dgradschool | 477.90 | 0.41 | 0.6854 | dgradschool | 291.65 | 0.31 | 0.7588 |
| dnortheast | 189.55 | 1.09 | 0.2750 | dnortheast | 129.17 | 0.93 | 0.3521 |
| dmidwest | -317.26 | -1.99 | 0.0472 | dmidwest | -155.69 | -1.20 | 0.2285 |
| dsouth | -425.33 | -2.76 | 0.0059 | dsouth | -314.92 | -2.61 | 0.0091 |
| dwhite | -92.38 | -0.32 | 0.7488 | dwhite | -54.45 | -0.26 | 0.7932 |
| dblack | -286.95 | -0.87 | 0.3842 | dblack | 107.72 | 0.43 | 0.6642 |
| dmale | -80.40 | -0.67 | 0.5053 | dmale | -24.33 | -0.26 | 0.7950 |
| dfdstmps | 119.65 | 0.54 | 0.5918 | dfdstmps | -79.86 | -0.33 | 0.7410 |
| d4 | 217.66 | 0.67 | 0.5027 | d4 | 214.13 | 1.31 | 0.1898 |
| $\mathrm{R}^{2}=0.0525$ |  | d.f. $=2726$ |  | $\mathrm{R}^{2}=0.0560$ |  | d.f. $=5613$ |  |

## Table 8

## Regression Models for PC 1 <br> 1996Q1 and 1999Q4

logarithmic models

| Variable | 1996Q1 |  | p-value |
| :---: | :---: | :---: | :---: |
|  | Parameter | t-ratio |  |
| intercept | 3.0146 | 10.44 | < 0.0001 |
| Inincome | 0.4371 | 24.68 | $<0.0001$ |
| no_earnr | 0.0563 | 3.73 | 0.0002 |
| age_ref | -0.0018 | -2.59 | 0.0096 |
| fam_size | 0.0470 | 4.12 | < 0.0001 |
| dsinglehh | -0.1695 | -5.19 | < 0.0001 |
| drural | -0.0774 | -2.33 | 0.0200 |
| dnochild | -0.0532 | -1.57 | 0.1166 |
| dchild1 | 0.0250 | 0.60 | 0.5487 |
| dchild4 | -0.0098 | -0.21 | 0.8306 |
| ded10 | 0.0479 | 0.20 | 0.8444 |
| dedless 12 | 0.2015 | 0.91 | 0.3635 |
| ded12 | 0.2481 | 1.12 | 0.2619 |
| dsomecoll | 0.3521 | 1.59 | 0.1123 |
| ded15 | 0.4989 | 2.24 | 0.0251 |
| dgradschool | 0.4461 | 1.99 | 0.0464 |
| dnortheast | -0.0589 | -1.79 | 0.0738 |
| dmidwest | -0.1164 | -3.85 | 0.0001 |
| dsouth | -0.0686 | -2.35 | 0.0191 |
| dwhite | 0.0410 | 0.88 | 0.3795 |
| dblack | 0.0475 | 0.76 | 0.4465 |
| dmale | 0.0529 | 2.30 | 0.0215 |
| dfdstmps | -0.1722 | -4.01 | < 0.0001 |
| d1 | -0.0293 | 0.48 | 0.6340 |

$$
\mathrm{R}^{2}=0.5066 \quad \text { d.f. }=2409
$$

|  | 199 |  |  |
| :---: | :---: | :---: | :---: |
| Variable | Parameter | $\underline{\text { t-ratio }}$ | p-value |
| intercept | 2.7709 | 13.39 | < 0.0001 |
| lnincome | 0.4491 | 36.89 | < 0.0001 |
| no_earnr | 0.0518 | 4.68 | < 0.0001 |
| age_ref | -0.0000 | -0.02 | 0.9824 |
| fam_size | 0.0343 | 3.76 | 0.0002 |
| dsinglehh | -0.1718 | -7.12 | < 0.0001 |
| drural | -0.1034 | -3.80 | 0.0001 |
| dnochild | -0.0412 | -1.68 | 0.0927 |
| dchild1 | 0.0182 | 0.55 | 0.5810 |
| dchild4 | 0.0128 | 0.35 | 0.7258 |
| ded 10 | -0.1324 | -3.31 | 0.0009 |
| dedless 12 | 0.3625 | 2.23 | 0.0255 |
| ded12 | 0.4193 | 2.60 | 0.0094 |
| dsomecoll | 0.5286 | 3.27 | 0.0011 |
| ded15 | 0.6570 | 4.05 | < 0.0001 |
| dgradschool | 0.7546 | 4.62 | < 0.0001 |
| dnortheast | -0.0781 | -3.27 | 0.0011 |
| dmidwest | -0.1241 | -5.58 | < 0.0001 |
| dsouth | -0.1581 | -7.62 | < 0.0001 |
| dwhite | 0.0659 | 1.85 | 0.0650 |
| dblack | 0.0043 | 0.10 | 0.9204 |
| dmale | 0.0075 | 0.46 | 0.6446 |
| dfdstmps | -0.2071 | -4.93 | $<0.0001$ |
| d4 | -0.0406 | -1.45 | 0.1478 |
| $\mathrm{R}^{2}=0.4823$ |  | d.f. $=4998$ |  |

Table 9

## Regression Models for PC 2 <br> 1996Q1 and 1999Q4

logarithmic models

|  | 1996Q |  |  |  | 1999Q |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Variable | Parameter | t-ratio | p -value | Variable | Parameter | t-ratio | p -value |
| intercept | 2.6381 | 5.64 | <0.0001 | intercept | 2.4847 | 8.15 | < 0.0001 |
| lnincome | 0.4484 | 15.13 | <0.0001 | lnincome | 0.4379 | 24.06 | <0.0001 |
| no_earnr | -0.0674 | -2.63 | 0.0086 | no_earnr | -0.0527 | -3.15 | 0.0016 |
| age_ref | 0.0005 | 0.41 | 0.6784 | age_ref | -0.0003 | -0.38 | 0.7068 |
| fam_size | 0.0293 | 1.48 | 0.1384 | fam_size | 0.0419 | 3.03 | 0.0024 |
| dsinglehh | -0.0663 | -1.22 | 0.2238 | dsinglehh | 0.0331 | 0.92 | 0.3569 |
| drural | -0.2581 | -4.54 | < 0.0001 | drural | -0.2670 | -6.47 | < 0.0001 |
| dnochild | -0.1286 | -2.25 | 0.0245 | dnochild | -0.0990 | -2.69 | 0.0071 |
| dchild 1 | 0.1249 | 1.81 | 0.0709 | dchild 1 | 0.1871 | 3.80 | 0.0001 |
| dchild4 | 0.1369 | 1.79 | 0.0739 | dchild4 | 0.1894 | 3.48 | 0.0005 |
| ded 10 | -0.0909 | -1.14 | 0.2560 | ded10 | -0.0532 | -0.90 | 0.3682 |
| dedless 12 | -0.0016 | -0.00 | 0.9962 | dedless 12 | 0.0296 | 0.12 | 0.9010 |
| ded 12 | -0.0281 | -0.08 | 0.9354 | ded 12 | 0.0270 | 0.11 | 0.9090 |
| dsomecoll | 0.0357 | 0.10 | 0.9182 | dsomecoll | 0.1252 | 0.53 | 0.5963 |
| ded 15 | 0.3491 | 0.65 | 0.5145 | ded15 | 0.3489 | 1.47 | 0.1416 |
| dgradschool | 0.2292 | 0.65 | 0.5141 | dgradschool | 0.5086 | 2.13 | 0.0335 |
| dnortheast | 0.0174 | 0.32 | 0.7456 | dnortheast | 0.0351 | 0.99 | 0.3209 |
| dmidwest | -0.2002 | -3.99 | <0.0001 | dmidwest | -0.0932 | -2.81 | 0.0050 |
| dsouth | -0.1907 | -3.91 | <0.0001 | dsouth | -0.1633 | -5.28 | <0.0001 |
| dwhite | -0.0385 | -0.43 | 0.6707 | dwhite | 0.0546 | 1.01 | 0.3133 |
| dblack | -0.0696 | -0.67 | 0.5024 | dblack | 0.0963 | 1.50 | 0.1336 |
| dmale | -0.0576 | -1.50 | 0.1335 | dmale | -0.0336 | -1.39 | 0.1640 |
| dfdstmps | -0.0751 | -1.07 | 0.2849 | dfdstmps | -0.0667 | -1.08 | 0.2814 |
| d1 | -0.2073 | -2.03 | 0.0427 | d4 | -0.0228 | -0.54 | 0.5864 |
| $\mathrm{R}^{2}=0.2358$ |  | d.f. $=2409$ |  | $\mathrm{R}^{2}=0.2737$ |  | d.f. $=4998$ |  |

At the other extreme, the two smallest components typically account for less than one-half of one percent of the total variation.
(3). The two largest principal components are stable across several categories of expenditure, while the two smallest components each identify with just a single category of expenditure. The fifth stable principal component identifies with expenditures for alcoholic beverages and tobacco.
(4). Except for opposing signs on transportation expenditures, the two largest components have virtually identical loadings on the 14 categories of expenditure.
(5). Virtually identical, as well, are the income elasticities of demand for the two largest principal components, with values that vary between 0.39 and 0.46 over the 16 quarters of CES data.

Let me now speculate a bit about what all this might mean. As was noted in Section III, one interpretation of the stability of the two largest principal components of consumption is that the expenditure structures represented in these components derive from three (basically invariant) motivating bases (or substrates) of behavior:
(i). Biological (i.e., genetic) factors that define certain levels of expenditure for food, housing, clothing, transportation, health, education, and entertainment.
(ii). Cultural factors that give rise to a variety of social patterns of consumption.
(iii). Demographic factors such as the age- and ethnic-distributions of the population, labor-force participation, place of residence, etc.

Of the expenditures associated with these factors, those of biological origin should obviously be more invariant (since they drive from a shared genetic basis) than those associated with cultural and demographic factors. Nevertheless, over moderate periods of time (such as the four years represented in the 16 quarters of data analyzed in this study), invariance ought to apply to cultural and demographic factors as well.

On the average, about 50 percent of total consumption expenditure is associated with the two largest principal components. As has just been suggested, these expenditures can be identified with tastes and preferences that are (1) common to individuals (i.e., genetically based) or (2) reflect stable cultural and demographic agglomerations. The remaining half of total expenditure (under this interpretation) can therefore be attributed to those aspects of tastes and preferences that vary across individuals and households as represented in the structures of the principal components (specifically, \#'s 3 through 10) that vary from quarter-to-quarter depending upon the idiosyncracies of particular surveys. A household's consumption behavior, under this view, can accordingly be viewed as emanating from four distinct substrates: (1) a genetic substrate that is common to households: (2)
a cultural substrate that is stable (over moderate periods of time) across households; (3) a demographic substrate that varies across households, but which is distributionally stable (again, over moderate periods of time); (4) an idiosyncratic substrate that reflects genetic and experiential variation across households. For the 16 quarters of data that have been analyzed in this study, substrates (1), (2), and (3) are represented in principal components $1,2,11,13$, and 14 , while substrate (4) is represented in principal components 3-10 and 12.

This interpretation of the results of this paper, if valid, should have the following implications:
(1). The genetic factors ingrained in the two largest principal components of consumption should be constant both over time and across cultures. However, this should not be the case for the cultural or demographic factors. Hence, because of slowly occurring changes in the latter factors, the relationships between the eigenvectors associated with the largest two principal components of consumption for any two points in time should be weaker the greater the temporal separation. Similarly, one should be expect to find weaker relationships between eigenvectors (at the same point in time) across countries than within countries.
(2). The proportion of total variation in consumption expenditures accounted for by the two largest principal components ought, in general, to be a decreasing function of the level of income. There are two aspects to this implication. The first is simply the idea that, as income increases, genetically motivated consumption will probably be subject to satiation, implying a low income elasticity, which in turn would imply reduced relative variation in this expenditure across households. The second aspect is that, as the "core" expenditures associated with the two largest principal components of consumption decrease with income as a proportion of total expenditure, the individual idiosyncrasies of households should become increasingly important. Thus, not only will the "core" constituents of expenditure claim a decreasing proportion of total expenditure as a function of income for a given relative variation in consumption expenditures, but the variation in "non-core" expenditures will itself become a relatively more important part of the total. ${ }^{11}$

In closing, let me turn to the implications of the results of present exercise for the question of stability in the aggregate consumption function. In approaching this, we must be careful to distinguish between two different concepts of stability, a concept of stability that refers to the structure of tastes and preferences, and a concept of stability that refers to the relationship between aggregate consumption and aggregate income. The most important finding of the paper would seem to be that, with reference to tastes and preferences, there exist two stable structures of consumption

[^6]that, at a micro level, account for about 50 percent of total expenditure. In turn, these two structures are shown to have income elasticities, both of which are of the order of 0.45 , that show little variation over the 16 quarters of data that have been analyzed. The suggestion, accordingly, is that roughly 50 percent of total consumption expenditure can be said to have a simple stable relationship with income. Whether the micro-based results of this paper extend to macro-consumption is, of course, another matter. The thought that they might, however, is rich with possibilities.

## References and Bibliography

## Economics:

Houthakker, H.S. and Taylor, L.D. (1970), Consumer Demand in the United States (revised second edition), Harvard University Press.

Keynes, J.M. (1936), The General Theory of Money, Interest, and Employment, Macmillan.
Taylor, L.D. (1987), "Opponent Processes and the Dynamics of Consumption," in Economic Psychology: Intersections in Theory and Application, ed. by A.J. MacFadyen and H.W. MacFadyen, North Holland Publishing Co.

Taylor, L.D. (1988), "A Model of Consumption Based on Psychological Opponent Processes," in Psychological Foundations of Economic Behavior, ed. by Paul Albanese, Praeger.

Taylor, L.D. (1992), "Brain Structure and Consumption Dynamics," in Aggregation, Consumption, and Trade: Essays in Honor of H.S. Houthakker, ed. by L. Phlips and L.D. Taylor, Kluwer Academic Publishers.

## Neurosciences:

Carter, R. (1998), Mapping the Mind, University of California Press.
Damasio, A. (2003), Looking for Spinoza: Joy, Sorrow, and the Feeling Brain, Harcourt Brace.

Dawkins, R. (1976, 1989), The Selfish Gene, Oxford University Press.
Dawkins, R. (1986), The Blind Watchmaker, Oxford University Press.
Dennett, D.C. (1995), Darwin's Dangerous Idea: Evolution and the Meanings of Life, Simon and Schuster.

Goldberg, E. (2001), The Executive Brain: Frontal Lobes and the Civilized Mind, Oxford University Press.

Greenfield, S. (2000), The Private Life of The Brain: Emotions, consciousness, and the Secret of the Self, John Wiley \& Sons.

LeDoux, J. (1996), The Emotional Brain: The Mysterious Underpinnings of Emotional Life, Simon and Schuster.

Pinker, S. (1994), The Language Instinct: How the Mind Creates Language, William Morrow and Company.

Pinker, S. (1997), How the Mind Works, W.W. Norton \& Company.

Pinker, S. (2002), The Blank Slate, Penquin Putnam, Inc.

Appendix
Definitions of Independent Variables
Appearing in Tables 6-9

| income: | after tax income of household |
| :--- | :--- |
| no_earnr: | number of income earners in household |
| age_ref: | age of reference person |
| fam_size: | family size of household |
| dsinglehh: | single-person household |
| drural: | household resides in rural area |
| dnochild: | no children in household |
| dchild1: | oldest child under 6 |
| dchild4: | oldest child over 17 |
| ded10: | $8^{\text {th }}$ grade graduate, reference person |
| dedless12: | some high-school, reference person |
| ded12: | high-school graduate, reference person |
| dsomecoll: | some college, reference person |
| ded15: | college graduate, reference person |
| dgradschool: | graduate school, reference person |
| dnortheast: | household resides in northeast |
| dmidwest: | household resides in midwest |
| dsouth: | household resides in south |
| dwhite: | reference person is white |
| dblack: | reference person is black |
| dmale: | reference person is male |
| dfdstmps: | household is recipient of food stamps |
| d1,d2,d3,d4: | quarterly dummy variables |

Note: All variables beginning with "d"are dummy variables.


[^0]:    ${ }^{2}$ All mathematical and statistical calculations have in SAS.
    ${ }^{3}$ It is important to keep in mind that the 60 percent and 25 percent refer to the total variation in consumption expenditure (where "total variation" is defined as the sum of squared expenditures over all of the households in a sample over all 14 categories of expenditure), and accordingly does not refer to the proportion of total consumption that, on the average, is accounted for by the principal components in question. With regard to the latter, the largest principal component typically accounts for about 40 percent of total expenditure, while the second largest typically accounts for about 10 percent.

[^1]:    ${ }^{4}$ Orthogonal and non-orthogonal in this context refers to the columns of Z and X .
    5 "Seasonal" effects are allowed for in the equations through inclusion of three quarterly dummy variables, both singly and interacted with the lagged eigenvector. The only equations displaying any seasonal effects at all are for eigenvectors $2,4,5,7,8$, and 12 . The strongest seasonal effects are in the equation for number 12 . For eigenvector 2 , the only seasonal variable with a t -ratio greater than 2 is the linear term for the second quarter.

[^2]:    ${ }^{6}$ Since principal components are (by construction) exact linear combinations of the 14 underlying categories of expenditure, the $\mathrm{R}^{2 \prime} \mathrm{~s}$ of the regressions will obviously all be equal to 1 . Equally obviously, the resulting vectors of "factor loadings"simply reproduce the corresponding eigenvectors. However, formulating principal components in regression terms has always seemed to me to enlighten interpretation.

[^3]:    ${ }^{7}$ This "flipping of signs" accounts, in Table 4, for the $\mathrm{R}^{2}$ of 0.0728 for eigenvector 12, compared with the $\mathrm{R}^{2}$ of 0.7556 for eigenvector 11.

[^4]:    ${ }^{8}$ For the data actually at hand, the regression of $\mathrm{PC} 1-\mathrm{PC} 2$ on transportation expenditures for 1996Q1 yields an $\mathrm{R}^{2}$ of 0.9960 , while the regression of PC1 + PC2 on transportation expenditures has an $R^{2}$ of 0.0094 . For 1999Q4, the comparable $R^{21}$ s are 0.9993 and 0.0257 .

[^5]:    ${ }^{9}$ The principal components for 1996Q1 and 1999Q4 have been calculated from samples consisting of 3670 and 7704 households, respectively. However, households with incomes less than $\$ 5000$ are eliminated from the regression analyses, as are also the negative observations in the logarithmic equations for PC 2 (all observations are positive with PC 1). The resulting sample sizes are consequently 2750 and 5637 for 1996Q1 and 1999Q4 for the linear equations,

[^6]:    ${ }^{11}$ However, the implication in this paragraph is not as clear-cut as it might seem because of a possibility that culturally based "habit-formation" effects becoming increasingly more important with increases in income.

